

# St George's Primary School



## Calculations Policy

### Aims:

At St George's Primary School we believe that the ability to calculate effectively using the four operations of addition, subtraction, multiplication and division is an important life skill. We follow the National Curriculum for expectations for calculations in Years 1 to 6.

This policy is written to achieve the following:

- To ensure that there is a **consistent** approach to the teaching of calculation across the school.
- To ensure that there is **progression** in the teaching of calculation from Foundation Stage to the end of Key Stage Two.
- To ensure that children develop a **range of appropriate calculation strategies**.

### Resources:

We use a wide range of resources to teach calculation across the school. Formal written calculation methods are introduced in Key Stage 2.

Teachers have access to a wide range of apparatus in order to teach calculation, including base 10, bead strings, number lines and hundred squares. These help to develop the models and images that are necessary when developing calculation skills.

### Monitoring and Review:

This policy will be monitored by the Senior Leadership Team. This will include observation of teaching and workbook scrutiny to ensure that calculation skills are being taught effectively and consistently across the school.

Written by Miss H. Rhodes (Maths Leader)

Date: 24/02/2020

## Mental Calculation and Jotting Strategies

Children are encouraged to develop a mental picture of the number system in their heads to use for calculation. They make use of **objects, bead strings, number tracks, numberlines and Base 10** to support addition and subtraction. The year group reflects the age when strategies are introduced for children working at expectation but they will still be built on and developed in subsequent years with appropriate numbers and values. All year groups use estimation to judge the reasonableness of an answer.

### Addition and Subtraction

#### Early Years

- Counting on and back from different starting points.
- Subitising.
- Putting the largest number first to add.

#### Year 1

- Partitioning when adding tens or ones to 2 digit numbers
- Adjusting- Add/ Subtract 10 first then adjust when adding/ subtracting 9 or 11
- Counting on to find a small difference, eg 19 - 18

#### Year 2

- Partitioning into tens and ones to add/subtract 2 digit numbers
- Adjusting- Add/ Subtract 100 first then adjust when adding/ subtracting 99

#### Year 3

- Make 9, Make 10 when giving complements of 100
- Empty timelines to calculate the difference in times

#### Year 4

- Subtraction as a difference, eg  $2000 - 1278 = 1999 - 1277$  before using column method

### Multiplication

#### Early Years

- Relate doubling to addition

#### Year 1

- Counting in multiples as precursor to learning times tables
- Partitioning linked to arrays, eg  $12 \times 5 = (10 \times 5) + (2 \times 5)$

### Year 2

- Choosing appropriate multiple to count in, eg  $10 \times 13$  - count in 10s not 13s
- Repeated addition to show multiplication facts, which could be represented on a numberline.

### Year 3

- Multiplying by 10 by moving digits
- Use partitioning to multiply by numbers between 11 and 19, eg  $14 \times 15 = (14 \times 10) + (14 \times 5)$
- Smile multiplication by using known facts, eg  $30 \times 4 = 3 \times 4 \times 10$

### Year 4

- Adjusting for known facts, eg  $324 \times 9 = (324 \times 10) - (324 \times 1)$
- Using factor pairs, eg  $32 \times 14 = 32 \times 2 \times 7$

### Year 6

- Using fraction/percentage/decimal equivalents, eg  $324 \times 0.25 = \frac{1}{4}$  of 324  
 $= 324 \div 4$

## **Division**

### Early Years

- The children use **objects** to understand the process of halving in practical contexts.

### Year 2

- Division facts can be represented as repeated subtraction on a numberline.

### Year 3

- Dividing by 10 by moving digits

### Year 4

- Using factor pairs,  $120 \div 15 = 120 \div 5 \div 3$
- Using known facts, eg  $630 \div 70 = 630 \div 7 \div 10$

### Year 5

- Adjusting both numbers, eg  $630 \div 70 = 63 \div 7$
- Partitioning by spotting known facts, eg  $644 \div 7 = (630 \div 7) + (14 \div 7)$

### Year 6

- Using fraction/percentage/decimal equivalents, eg  $324 \div 0.25 = 324 \div \frac{1}{4}$   
 $= 324 \times 4$
- Using given facts, eg If  $325 \div 25 = 13$ , what is  $325 \div 50$ ?

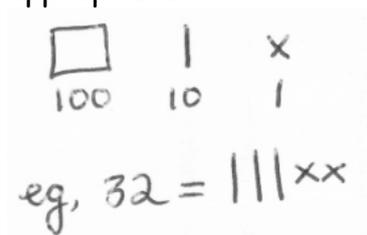
# Formal Written Calculation Strategies

## Addition and Subtraction

### Early Years

There is no expectation for recording of formal calculations at this stage but children are introduced to addition, subtraction and equals symbols.

The school recording system for Hundreds, tens and ones is introduced, when appropriate:

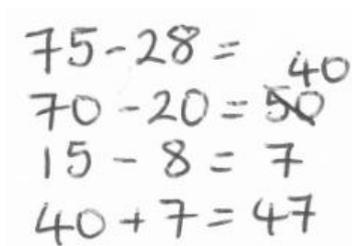
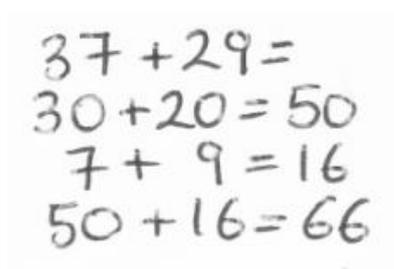


### Year 1

- Children read, write and interpret mathematical statements using addition (+), subtraction (-) and equals (=) signs up to 20.

### Year 2

- Children use their understanding of partitioning 2 digit numbers to add and subtract numbers:



## Key Stage 2

Throughout Key Stage 2, **Base 10** continues to be used to MODEL AND SUPPORT the development of addition and subtraction into formal written methods. BASE 10 MUST BE USED TO REINFORCE THE PLACE VALUE AS THE WRITTEN METHOD IS LEARNT.

789 + 642 becomes

$$\begin{array}{r} 789 \\ + 642 \\ \hline 1431 \\ \hline \end{array}$$

Answer: 1431

874 - 523 becomes

$$\begin{array}{r} 874 \\ - 523 \\ \hline 351 \\ \hline \end{array}$$

Answer: 351

932 - 457 becomes

$$\begin{array}{r} 8 \quad 12 \quad 1 \\ 932 \\ - 457 \\ \hline 475 \\ \hline \end{array}$$

Answer: 475

## Year 3

- The above methods are used for adding and subtracting up to and including 3 digit numbers e.g. 714-68.

## Year 4

- The above methods are used for adding and subtracting up to and including 4 digit numbers e.g. 2143-658.

## Year 5

- The above methods are used for adding and subtracting up to and including 5 digit numbers e.g. 21443-6158 and decimals of equal length.

## Year 6

- The above methods are used for adding and subtracting up to and including 6 digit numbers e.g. 214043-61658 and decimals of different lengths.

## Multiplication and Division

### Year 1

- Children are introduced to the symbols for multiplication and division.

### Year 2

- Children read, write and interpret mathematical statements using multiplication ( $\times$ ), division ( $\div$ ) and equals ( $=$ ) signs.

### Year 3

- Children are introduced to the formal method of short multiplication for multiplying a 2 digit number by a single digit number:

$24 \times 6$  becomes

$$\begin{array}{r} 24 \\ \times 6 \\ \hline 144 \\ \hline \end{array}$$

Answer: 144

They are introduced to the formal method of short division for dividing a 2 digit number by a single digit number.

$98 \div 7$  becomes

$$\begin{array}{r} 14 \\ 7 \overline{) 98} \end{array}$$

Answer: 14

### Year 4

- The above methods are used to multiply and divide a 3 digit number by a single digit. **Answers should include remainders to interpret according to the context.**

$342 \times 7$  becomes

$$\begin{array}{r} 342 \\ \times 7 \\ \hline 2394 \\ \hline \end{array}$$

Answer: 2394

$432 \div 5$  becomes

$$\begin{array}{r} 86 \text{ r} 2 \\ 5 \overline{) 432} \end{array}$$

Answer: 86 remainder 2

### Year 5

- Short multiplication to multiply 4 digit numbers by a single digit and they begin to learn long multiplication to multiply numbers up to 4 digits by a 2 digit number:

2741 × 6 becomes

$$\begin{array}{r}
 2741 \\
 \times 6 \\
 \hline
 16446 \\
 \hline
 \end{array}$$

Answer: 16 446

124 × 26 becomes

$$\begin{array}{r}
 124 \\
 \times 26 \\
 \hline
 744 \\
 2480 \\
 \hline
 3224 \\
 \hline
 \end{array}$$

Answer: 3224

- Children divide numbers up to 4 digits by a single digit number using short division and interpret remainders for the context.

### Year 6

- Consolidate using long multiplication when multiplying by 2 digit numbers.
- Children divide numbers up to 4 digits by a 2 digit number using long division and interpret remainders as appropriate, and continue to consolidate their use of short division.

432 ÷ 15 becomes

$$\begin{array}{r}
 28 \text{ r } 12 \\
 15 \overline{) 432} \\
 \underline{300} \\
 132 \\
 \underline{120} \\
 12
 \end{array}$$

Answer: 28 remainder 12

432 ÷ 15 becomes

$$\begin{array}{r}
 28 \\
 15 \overline{) 432} \\
 \underline{300} \quad 15 \times 20 \\
 132 \\
 \underline{120} \quad 15 \times 8 \\
 12
 \end{array}$$

$$\frac{12}{15} = \frac{4}{5}$$

Answer:  $28 \frac{4}{5}$

432 ÷ 15 becomes

$$\begin{array}{r}
 28.8 \\
 15 \overline{) 432.0} \\
 \underline{300} \\
 132 \\
 \underline{120} \\
 120 \\
 \underline{120} \\
 0
 \end{array}$$

Answer: 28.8